Hall Ticket No:						Question Paper Code: 18ENG101

### MADANAPALLE INSTITUTE OF TECHNOLOGY & SCIENCE, MADANAPALLE

(UGC-AUTONOMOUS)

B.Tech I Year I & II Semester (R18) Regular & Supplementary End Semester Examinations – DEC 2019

#### **PROFESSIONAL ENGLISH**

	(Common to All)	
Tim	e: 3Hrs Max Marks:	60
	Attempt all the questions. All parts of the question must be answered in one place only.	
	All parts of Q.no 1 are compulsory. In Q.no 2 to 6 answer either Part-A or B only	
Q.1	<ul> <li>i. Change the following sentence in to indirect speech</li> <li>Manoj said "I am waiting for my friend."</li> </ul>	1M
	ii(might, may, will, should) heaven protect you.(Wish)	1M
	iii. Discuss the importance of Skimming.	1M
	iv Select the word from the given four alternative words marked <b>a - d</b> that is nearly the same in meaning or expression as the key word- <b>imbibe</b> .  (a) Reject (b) Eject (c) Emit (d) Absorb	1M
	v. Write any two types of Non-verbal expressions.	1M
	vi Frame 'wh' question for the following statement:  I like pink colour.	1M
	vii. What is formal conversation?	1M
	viii. How do you introduce your friend to your parents?	1M
	ix. How do you greet your friend? Write one expression?	1M
	x. How important are Recommendations in a report?	1M
Q.2(A)	<ol> <li>fill in the blanks with appropriate verb forms</li> <li>Anusha(dislike) watching movies.</li> <li>No, he is n't here: he just(go out).</li> <li>The boys(play) cricket since morning.</li> <li>Iron(expand) when heated.</li> <li>Reaching the station, he(find)that(leave)the keys at home.</li> <li>I(meet) my friend last week</li> <li>The government(give) more attention to the development of dry land now.</li> <li>The door bell(sleep) yesterday.</li> </ol>	10M
Q.2(B)	i)Write suitable dialogues for the following conversation.  Write a dialogue between two people on asking for directions.	5M
	ii) Describe the following process. planting a sapling in your garden.	5M
Q.3(A)	Write two paragraphs comparing  (a) human brain and computer  (b) Calculators and computers.  OR	10M
Q.3(B)	Read the following passage and answer the questions given below.  Philosophy of Education is a label applied to the study of the purpose, process, nature and ideals of education. It can be considered a branch of both philosophy and education. Education can be defined as the teaching and learning of specific skills, and the imparting of knowledge, judgment and wisdom, and is something broader than the societal institution of education we often speak of.  Many educationalists consider it a weak and woolly field, too far removed from the practical applications of the real world to be useful. But philosophers dating back to Plato and the Ancient Greeks have given the area much thought and emphasis, and there is little doubt that Page 1 of 3	10M

their work has helped shape the practice of education over the millennia.

Plato is the earliest important educational thinker, and education is an essential element in "The Republic" (his most important work on philosophy and political theory, written around 360 B.C.). In it, he advocates some rather extreme methods: removing children from their mothers' care and raising them as wards of the state, and differentiating children suitable to the various castes, the highest receiving the most education, so that they could act as guardians of the city and care for the less able. He believed that education should be holistic, including facts, skills, physical discipline, music and art. Plato believed that talent and intelligence is not distributed genetically and thus is be found in children born to all classes, although his proposed system of selective public education for an educated minority of the population does not really follow a democratic model.

Aristotle considered human nature, habit and reason to be equally important forces to be cultivated in education, the ultimate aim of which should be to produce good and virtuous citizens. He proposed that teachers lead their students systematically, and that repetition be used as a key tool to develop good habits, unlike Socrates' emphasis on questioning his listeners to bring out their own ideas. He emphasized the balancing of the theoretical and practical aspects of subjects taught, among which he explicitly mentions reading, writing, mathematics, music, physical education, literature, history, and a wide range of sciences, as well as play, which he also considered important.

During the Medieval period, the idea of Perennialism was first formulated by St. Thomas Aquinas in his work "De Magistro". Perennialism holds that one should teach those things deemed to be of everlasting importance to all people everywhere, namely principles and reasoning, not just facts (which are apt to change over time), and that one should teach first about people, not machines or techniques. It was originally religious in nature, and it was only much later that a theory of secular perennialism developed.

During the Renaissance, the French skeptic Michel de Montaigne (1533 - 1592) was one of the first to critically look at education. Unusually for his time, Montaigne was willing to question the conventional wisdom of the period, calling into question the whole edifice of the educational system, and the implicit assumption that university-educated philosophers were necessarily wiser than uneducated farm workers, for example.

#### Q.1. What is the difference between the approaches of Socrates and Aristotle?

- a) Aristotle felt the need for repetition to develop good habits in students; Socrates felt that students need to be constantly questioned
- b) Aristotle felt the need for rote-learning; Socrates emphasized on dialogic learning
- c) c)There was no difference
- d) d)Aristotle emphasized on the importance of paying attention to human nature; Socrates emphasized upon science

#### Q.2. Why do educationists consider philosophy a 'weak and woolly' field?

- a) It is not practically applicable
- b) Its theoretical concepts are easily understood
- c) It is irrelevant for education
- d) None of the above

## Q.3. What do you understand by the term 'Perennialism', in the context of the given comprehension passage?

- a) It refers to something which existed in the past and no longer exists now
- b) It refers to something which is quite unnecessary
- c) It refers to something which is abstract and theoretical
- d) It refers to something which is of ceaseless importance

#### Q.4. Were Plato's beliefs about education democratic?

- a) He believed that only the rich have the right to acquire education
- b) Yes
- c) He believed that only a select few are meant to attend schools
- d) He believed that all pupils are not talented

		hy did Aquinas propose a model of education which did not lay much emphasis on													
	facts?	Facts are not important													
	a) b)	Facts are not important Facts do not lead to holistic education													
	c)	Facts change with the changing times													
	,	Facts are frozen in time													
0.4(4)	ick et it mank et action in		r N A												
Q.4(A)		are the question tags for the following statements  He is coming tonight.	5M												
		You would not report me.													
	c)	She never informed us.													
	d)														
		I told you so.													
	e)	ii) Arrange the sentences to form a logical sequence to construct a coherent paragraph.													
	a)	These markets had become rapidly dominated by powerful enterprises who were able to act in their own interest against the interests of both workers and consumers.													
	b)	Mill was able to see an expanded role for the state in such legislation to protect us against powerful interests.													
	c)	He was able to argue that the state was only organ that was genuinely capable of responding to social needs and social interests unlike markets.  There had already been some legislation to prevent such abuses-such as various factory Acts to prevent exploitation of child workers.													
	d)														
	e)	Markets may be good at encouraging innovation and following trends but, but they													
	-,	were not good at ensuring social equality.													
		OR													
Q.4(B)	Explain	the various sub-skills that are essential in enhancing reading skills.	10M												
Q.5(A)	Imagine that you are a banker and you are conversing with a person who wants to open a saving account in your bank. Write a formal conversation between you (Banker) and a														
		ner by using following points:													
	•	Procedure for opening a bank account,													
	•	Documents required,													
	•	Minimum opening balance,													
		Facilities available on the account.													
	·	OR													
Q.5(B)	Your ui for the	ncle sent you a set of Harry Potter series for your birthday. Write an email thanking him gift.	10M												
Q.6(A)	You are	e unhappy about your company's current website.	10M												
	You have decided to write a memo to your managing Director about your ideas for setting up														
	a nev	w website. Write a memo to the Managing Director. Write about:													
	•	The problems with the current website													
	•	The kind of information a new website should contain													
	•	Who should be involved in setting it up													
	and an	y other points you think are important													

OR

Q.6(B) As the marketing Executive of "Ideal Home Makers", you have been asked by the Managing 10M Director to study the feasibility of introducing a new dish was bar. Prepare a report of the study.

Hall Ticket No:														Qı	uestio	n Pape	er Code	e: 18PH	IY102
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	(UGC-AUTONOMOUS)																		
B.Tech	B.Tech I Year I & II Semester (R18) Regular & Supplementary End Semester Examinations – Jan 2020																		
	MODERN PHYSICS																		
	(Common to EEE, CSE, CSIT, CST)																		
Time	Time: 3Hrs Max Marks: 60																		
	Attempt all the questions. All parts of the question must be answered in one place only.																		
	All parts of Q.no 1 are compulsory. In Q.no 2 to 6 answer either Part-A or B only																		
Q.1	i.	Defir	na ci	mnl	a ha	rmo	nic	mot	tio	'n									1M
Q.1				-							endu	ulum i	in SHI	M witl	h an ai	mplitu	de A, a	at the	1M
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		unce									,					.,			
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		mass Wha							SE	Ξ.									1M
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Q.2(A)	i) Wha		e Li	ssaj	ous	figu	res?	On	n v	which	fact	tors d	loes t	the sh	аре о	f Lissa	ijous fi	igures	3M
	•	o vib	ratio	ons a	at ri	ght	angl	es t	0	one a	anoth	her ar	e des	scribe	d by th	ie equ	ations	given	7M
		) x =	= 10	cos	(10:	πt)													
		) y =					+ π)	١											
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	COHSCI	uct	tiic i	-1336	ijou.	i igi	uic (	J1 (1	10	COIII	OR	a mot	.1011.						
Q.2(B)	i) Wha	at ar	o tra	ncv	orco	14/2	voc?	) Do	riv	vo an	ovni	raccia	n for	· valoc	ity of	a tran	cuarca	W2V0	6M
Q.2(b)	genera									ve an	expi	163310	711 101	VEIOC	ity Oi	a tran	346136	wave	OIVI
	ii) Th			_				_		e wa	ive a	along	a s	tretch	ed st	ring	s give	en by	4M
	Y = 0	.3 sir	nπ(	0.5	x –	50 t	), w	her	e y	y and	l x ar	e in c	entim	neters	and $t$	is in s	econds	s. Find	
	the wa	ave r	numl	ber,	fred	quen	су,	peri	iod	d, and	l velo	ocity o	of the	e wave	<b>?.</b>				
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Q.3(A)	i) Wha									_								-44	3M
	ii) Der		•									-	distric	oution	for in	tertere	ence pa	attern	7M
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Q.3(B)	Descri condit										_								TOIAI
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Q.4(A)	<ul> <li>i) What are postulates of quantum mechanics?</li> <li>ii) Derive time-independent Schrodinger wave equation for a particle moving in a one dimensional potential field in general.</li> </ul> OR	2M 8M
Q.4(B)	<ul> <li>i) Applying Schrodinger time independent wave equation, show that the energies are quantized for a particle trapped in a potential well with infinite walls.</li> <li>ii) Calculate the first three energy levels for an electron in a quantum well of width 10Å with infinite walls.</li> </ul>	7M 3M
Q.5(A)	i) What are the assumptions made in free electron theory?	3M
, ,	ii) Using free electron theory obtain expression for drift velocity and electrical conductivity .	7M
	OR	
Q.5(B)	i) On the basis of band theory, explain how the solids are classified into metals, semiconductors and insulators?	6M
	ii) Provide a qualitative explanation for Kronig - Penney model and origin of energy bands in solid materials.	4M
Q.6(A)	i) What are the characteristics of LASER?	2M
	ii) With a neat sketch, explain the construction and working of Ruby laser.  OR	8M
Q.6(B)	i) What is population inversion?	2M
	ii) Describe the construction and working of semiconductor diode laser with neat diagram. What are its applications?  *** END***	8M

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IVIA	MADANAPALLE INSTITUTE OF TECHNOLOGY & SCIENCE, MADANAPALLE (UGC-AUTONOMOUS)												
B.Tech I Year I & II Semester (R18) Supplementary End Semester Examinations – JAN 2020													
PHYSICS: ELECTROMAGNETIC THEORY													
	(ECE)												
Tim	e: 3Hrs Max Marks:	60											
	Attempt all the questions. All parts of the question must be answered in one place only.  All parts of Q.no 1 are compulsory. In Q.no 2 to 6 answer either Part-A or B only												
Q.1	i. What is the abusing laignificance of Divergence?	1M											
	<ul><li>ii. What is the physical significance of Divergence?</li><li>iii. State the Gauss law in electrostatics.</li></ul>	1M 1M											
	iv Write expression for energy stored in a electric field.	1M											
	v. What are the boundary conditions for dielectric materials?	1M											
	vi What is dielectric constant in linear dielectrics?	1M											
	vii. Write the relation between magnetic flux density and field intensity.	1M											
	viii. Explain the physical significance of displacement current.	1M											
	ix. Express the Faraday's law in integral form.	1M											
	x. What is modified Amperes law in electrodynamics?	1M											
Q.2(A)	i) Explain gradient, divergence and curl with emphasizing physical interpretation?	6M											
	ii) Calculate divergence and curl for the given vector, $\vec{V} = y^2 \hat{x} + (2xz + z^2)\hat{y} + 2yz\hat{z}$ .	4M											
	OR												
Q.2(B)	i) Explain three co-ordinate systems.	4M											
	ii) Given point P (-2, 6, 3) and vector $\vec{A} = y\hat{\imath} + (x+z)\hat{\jmath}$ , Express P in spherical and	6M											
	cylindrical coordinates. Evaluate $\vec{A}$ at P in the cartesian, cylindrical and spherical												
	systems.												
Q.3(A)	Write down Coulomb' law in electrostatics. Use it to	10M											
	calculate the electric field at point p which is at a												
	distance z above the midpoint of a straight-line												
	segment of length 2L and carries a uniform line charge												
	density $\lambda$ as shown in the figure below.												
	OR												
Q.3(B)	i) Discuss about Poisson's equation and Laplace's equation in electrostatics.	5M											
	ii) Find the potential of a uniformly charged spherical shell of radius R.	5M											
Q.4(A)	Find electric potential and field produced by a uniformly polarized sphere of radius 'R'.	10M											

	0.1											
Q.4(B)	<ul> <li>i) Define the following terms in electrostatics</li> <li>a) Electric dipole b) Polarization c) Susceptibility d) Electric displacement</li> </ul>	4N										
	ii) What do you mean by a linear dielectric? Obtain a relationship between dielectric constant and electric susceptibility in case of a linear dielectric material.	6N										
Q.5(A)	•	3M										
	ii) Derive an expression for the force between two long straight parallel current carrying conductor.	7M										
	OR											
Q.5(B)	Write down the expression for Lorentz force for a charge $\bf Q$ moving with velocity $\bf v$ in a uniform magnetic field $\bf B$ .											
	Consider that a uniform electric field ${\bf E}$ is in the Z-direction and a magnetic field ${\bf B}$ points in the X-direction. A particle of charge ${\bf Q}$ at rest is released from the origin; obtain the equation of motion of the particle?											
Q.6(A)	<ul> <li>i) Define resistivity, current density of conductor and explain Ohm's law in terms of current density.</li> </ul>	5M										
	ii) Two long coaxial metal cylinders (radii a and b) are separated by material of conductivity $\sigma$ as shown in picture. If they are maintained at potential difference V. What current flows from one to the other, in a length L?	5M										
	L											
	OR											
Q.6(B)	i) What are Electromagnetic waves?	2M										
	ii) Apply Maxwell's equation to obtain wave equation for electromagnetic waves in vacuum.	8M										

Hall Ticket No:						Question Paper Code: 18PHY10

## MADANAPALLE INSTITUTE OF TECHNOLOGY & SCIENCE, MADANAPALLE

(UGC-AUTONOMOUS)

B.Tech I Year I & II Semester (R18) Regular & Supplementary End Semester Examinations – Jan 2020

### **ENGINEERING PHYSICS**

Time: 3Hrs  Attempt all the questions. All parts of the question must be answered in one place only.  All parts of Q, no 1 are compulsory. In Q, no 2 to 6 answer either Part-A or B only  1. Define inertial frame of reference ii. Find the particle's acceleration 'a' at t= 2sec whose position is given by 1M x(t)=t <sup>3</sup> +4t <sup>2</sup> -3t+5 iii. What is the minimum velocity required for 150Kg object to escape from the surface of the earth. iv State work energy theorem. V. Define time period and amplitude. iv What is itnaverse wave? Vii. What is interference and write the types of interference? iii. Write the condition for maximum intensity position in Fraunhoffer diffraction at single 1M silt. ix. Define pumping and population inversion. 1. Write the two applications of Laser.  Q.2(A) Derive the expression for the acceleration in Polar coordinates. Q.2(B) Derive the equation of motion of an electron of charge —e in the ionospehere and mass m which is initially at rest and which is suddenly subjected to an electric field E = E <sub>0</sub> Sin ωt (ω is the frequency of oscillation in radius per second).  Q.3(A) Derive the rocket equation and show that final velocity is independent of how the mass is 10M released when it moves in a free space?  OR  Q.3(B) Deduce the expression for escape velocity for an object of mass 'm' projected upward from the earth at some angle using some work-energy theorem.  Q.4(A) What are Lissajous figures? On what factor Lissajous figure depends. ii. Construct the Lissajous figures? On what factor Lissajous figure depends. ii. Construct the Lissajous figures? On what factor Lissajous figure depends. ii. Construct the Lissajous figures for the motion described by x=cos (2ωt), y=cos (2ωt+π/2).  OR  Q.5(B) Derive the relation between the probabilities of spontaneous emission and stimulated 10M emission in terms of Einstein's coefficients?	Attempt all the questions. All parts of the question must be answered in one place only. All parts of Q.no 1 are compulsory. In Q.no 2 to 6 answer either Part-A or B only    Image: Part of Q.no 1 are compulsory. In Q.no 2 to 6 answer either Part-A or B only															
Attempt all the questions. All parts of the question must be answered in one place only.  All parts of Q.no 1 are compulsory. In Q.no 2 to 6 answer either Part-A or B only  Q.1  i. Define inertial frame of reference ii. Find the particle's acceleration 'a' at t= 2sec whose position is given by 1M x(t)=t²+4t²-3t+5 iii. What is the minimum velocity required for 150Kg object to escape from the surface of 1M the earth. iv State work energy theorem. v. Define time period and amplitude. vi. What is interference and write the types of interference? 1M viii. Write the condition for maximum intensity position in Fraunhoffer diffraction at single 1M silt. ix. Define pumping and population inversion. x. Write the two applications of Laser.  Q.2(A)  Derive the expression for the acceleration in Polar coordinates.  OR  Q.2(B)  Derive the equation of motion of an electron of charge —e in the ionospehere and mass m which is initially at rest and which is suddenly subjected to an electric field E=E <sub>0</sub> Sin ωt (ω is the frequency of oscillation in radius per second).  Q.3(A)  Derive the rocket equation and show that final velocity is independent of how the mass is 10M released when it moves in a free space?  OR  Q.3(B)  Deduce the expression for escape velocity for an object of mass 'm' projected upward from the earth at some angle using some work-energy theorem.  Q.4(A)  What are forced oscillations? Derive the differential equation which represents forced oscillations. Discuss the condition for resonance in forced oscillators.  OR  Q.4(B)  i. What are Lissajous figures? On what factor Lissajous figure depends. ii. Construct the Lissajous figures for the motion described by x=cos (2ωt), y=cos (2ωt+π/2).  7M  Q.5(A)  Derive the relation between the probabilities of spontaneous emission and stimulated emission in terms of Einstein's coefficients?  OR	Attempt all the questions. All parts of the question must be answered in one place only. All parts of Q.no 1 are compulsory. In Q.no 2 to 6 answer either Part-A or 8 only  1. Define inertial frame of reference 1. If the particle's acceleration 'a' at t = 2sec whose position is given by 1M x(t)=t <sup>3</sup> 4t <sup>2</sup> -3tt <sup>5</sup> . 1III. What is the minimum velocity required for 150Kg object to escape from the surface of 1M the earth. 1V State work energy theorem. 1V. Define time period and amplitude. 1V. What is transverse wave? 1M. What is thereference and write the types of interference? 1M. Write the condition for maximum intensity position in Fraunhoffer diffraction at single 1M silt. 1X. Define pumping and population inversion. 1X. Write the two applications of Laser. 1M.  Q.2(A) Derive the expression for the acceleration in Polar coordinates. 1DM OR  Q.2(B) Derive the equation of motion of an electron of charge —e in the ionospehere and mass m which is initially at rest and which is suddenly subjected to an electric field E = E <sub>0</sub> Sin ωt (ω is the frequency of oscillation in radius per second).  Q.3(A) Derive the rocket equation and show that final velocity is independent of how the mass is 10M released when it moves in a free space?  OR  Q.3(B) Deduce the expression for escape velocity for an object of mass 'm' projected upward from the earth at some angle using some work-energy theorem.  Q.4(A) What are forced oscillations? Derive the differential equation which represents forced oscillations. Discuss the condition for resonance in forced oscillatiors.  OR  Q.4(B) i. What are Lissajous figures? On what factor Lissajous figure depends. ii. Construct the Lissajous figures? On what factor Lissajous figure depends. ii. Construct the Lissajous figures for the motion described by x=cos (2ωt), y=cos (2ωt+π/2).  Q.5(A) Derive an expression for wave length of light in Newton's rings experiment.  OR  Q.5(B) Describe the construction and principle of Michelson interferometer.  OR  Q.6(B) Describe the principle, construction and work		(Common to ME, CE)													
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<ul> <li>Q.4(B)         <ul> <li>i. What are Lissajous figures? On what factor Lissajous figure depends.</li> <li>ii. Construct the Lissajous figures for the motion described by x=cos (2ωt), y=cos (2ωt+π/2).</li> </ul> </li> <li>Q.5(A) Derive an expression for wave length of light in Newton's rings experiment.</li></ul>	<ul> <li>Q.4(B)         <ul> <li>i. What are Lissajous figures? On what factor Lissajous figure depends.</li> <li>ii. Construct the Lissajous figures for the motion described by x=cos (2ωt), y=cos (2ωt+π/2).</li> </ul> </li> <li>Q.5(A) Derive an expression for wave length of light in Newton's rings experiment.</li></ul>															
<ul> <li>ii. Construct the Lissajous figures for the motion described by x=cos (2ωt), y=cos (2ωt+π/2).</li> <li>Q.5(A) Derive an expression for wave length of light in Newton's rings experiment.</li> <li>QR</li> <li>Q.5(B) Describe the construction and principle of Michelson interferometer.</li> <li>Q.6(A) Derive the relation between the probabilities of spontaneous emission and stimulated emission in terms of Einstein's coefficients?</li> </ul>	ii. Construct the Lissajous figures for the motion described by x=cos (2ωt), y=cos (2ωt+π/2).  Q.5(A) Derive an expression for wave length of light in Newton's rings experiment.  OR  Q.5(B) Describe the construction and principle of Michelson interferometer.  10M  Q.6(A) Derive the relation between the probabilities of spontaneous emission and stimulated emission in terms of Einstein's coefficients?  OR  Q.6(B) Describe the principle, construction and working of a Ruby Laser.  10M	Q.4(B)		3M												
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Q.6(A) Derive the relation between the probabilities of spontaneous emission and stimulated 10M emission in terms of Einstein's coefficients?  OR	Q.6(A) Derive the relation between the probabilities of spontaneous emission and stimulated 10M emission in terms of Einstein's coefficients?  OR Q.6(B) Describe the principle, construction and working of a Ruby Laser. 10M	O.5(B)		101/1												
emission in terms of Einstein's coefficients?  OR	emission in terms of Einstein's coefficients?  OR  Q.6(B) Describe the principle, construction and working of a Ruby Laser.  10M	Z.5(b)	222 The solution and principle of interferon interferonicies.	TOIVI												
OR	Q.6(B) Describe the principle, construction and working of a Ruby Laser. 10M	Q.6(A)	Derive the relation between the probabilities of spontaneous emission and stimulated	10M												
	Q.6(B) Describe the principle, construction and working of a Ruby Laser. 10M		emission in terms of Einstein's coefficients?													
O C(D) Describe the universal execution and execution ( D ) .			<del>-</del>													
Q.b(B) Describe the principle, construction and working of a Ruby Laser. 10M		Q.6(B)	Describe the principle, construction and working of a Ruby Laser.	10M												
*** END***	*** EVID***		*** FND***													

Hall Tick	cket No: Question Paper Code	: 18MAT110										
MA	ADANAPALLE INSTITUTE OF TECHNOLOGY & SCIENCE, MADAI	NAPALLE										
(UGC-AUTONOMOUS)  B.Tech I Year I & II Semester (R18) Supplementary End Semester Examinations – Jan 2020												
LINEAR ALGEBRA												
	(Common to CSE, CSIT & CST)											
Tim		Marks: 60										
	Attempt all the questions. All parts of the question must be answered in one place of	•										
	All parts of Q.no 1 are compulsory. In Q.no 2 to 6 answer either Part-A or B only	1										
Q.1	i. State the conditions for $W \subset V$ to be a subspace of $V$ .	1M										
	ii. State Cayley Hamilton's theorem.	1M										
	iii. Find a basis for a 3x3 skew symmetric matrices.	1M										
	iv Determine whether the set of	vectors 1M										
	$\{(1,2,0,3),(0,0,3,5),(1,1,1,0),(0,0,0,1)\}$ in $\mathbb{R}^4$ is a basis.											
	v. Find SoT and/or ToS whenever it is defined. For $(x,y) = (x-y,x)$ , $S(x) = (x-y,x)$	(x,y) = 1M										
	(x, x-y, y).											
	vi Determine whether the function $\langle x, y \rangle = 4x_1y_1 + 4x_2y_2 - x_1y_2 - x_2y_1$ or	on $\mathbb{R}^2$ is 1M										
	inner product or not, for $x = (x_1, x_2), y = (y_1, y_2)$ .											
	vii. $\begin{pmatrix} 2 & 2 \\ 2 & 3 \end{pmatrix}$	1M										
	Determine the value of $k$ so that the vectors $\left\{ \begin{bmatrix} 2 \\ 8 \\ 4 \end{bmatrix}, \begin{bmatrix} 2 \\ -6 \\ 2 \end{bmatrix} \right\}$ are orthogonal with											
	$\left(\begin{bmatrix} i \\ k \end{bmatrix} \begin{bmatrix} i \\ k \end{bmatrix}\right)$											
	respect to the Euclidean inner product in $\mathbb{R}^4.$											
	viii. Determine whether the function $\langle x, y \rangle = x_1y_1 + 3x_2y_2$ on $\mathbb{R}^2$ is inner pro	oduct 1M										
	or not, for $x = (x_1, x_2), y = (y_1, y_2)$ .											
	ix. Define dual space.	1M										
	x. Determine whether an inner product can be defined on every vector space	e. 1M										
Q.2(A)												
	the pivots? $w + x + y = 3$ ; $-3w - 17x + y + 2z = 1$ ; $4w - 17x + 8y - 5x - 2y + z = 1$ .	z=1;										
	2y + 2 = 1.											
Q.2(B)		matrix 10M										
α.Δ(Β)		matrix 1011										
	$A = \begin{bmatrix} 2 & 1 & 2 \\ 5 & 3 & 3 \\ 1 & 0 & 2 \end{bmatrix}$											
	$[-1 \ 0 \ -2]$											
Q.3(A)	In the 3-space $\mathbb{R}^3$ , let $W$ be the set of all vectors $(x_1,x_2,x_3)$ that satisfy the ed	quation 10M										
. ( /	$x_1 - x_2 - x_3 = 0$ . Prove that W is a subspace of $\mathbb{R}^3$ . Find a basis for the subspace											
	OR											
Q.3(B)		e given 10M										
	matrices, $A = \begin{bmatrix} 1 & 3 & 2 \\ 2 & 6 & 4 \\ 3 & 9 & 6 \end{bmatrix}$											
	$\begin{bmatrix} 2 & 6 & 4 \\ 3 & 9 & 6 \end{bmatrix}$											

- Q.4(A) Let  $w_1=(1,0), \ w_2=(2,-1), w_3=(4,3)$  be three vectors in  $\mathbb{R}^2$ . 10M (a) Let  $\alpha=\{e_1,e_2,e_3\}$  be the standard basis for 3-space  $\mathbb{R}^3$ , and let  $T:\mathbb{R}^3\to\mathbb{R}^2$  be the linear transformation defined by,  $T(e_1)=w_1,\ T(e_2)=w_2,\ T(e_3)=w_3$ . Find the formula for  $T(x_1,x_2,x_3)$ , and then use it to compute T(2,-3,5).
  - (b) Find the matrix of reflection about the line  $y = \sqrt{3}x$  in  $\mathbb{R}^2$ .

OR

- Q.4(B) Show that the linear transformation T on  $\mathbb{R}^3$  is invertible and find a formula for 10M  $T^{-1}$ , T(x,y,z)=(2x,4x-y,2x+3y-z).
- Q.5(A) Consider the following ordered bases of  $\mathbb{R}^3$ :  $\alpha=\{e_1,e_2,e_3\}$  the standard basis and 10M  $\beta=\{u_1=(1,1,1),u_2=(1,1,0),u_3=(1,0,0)\}.$ 
  - i. Find the transition matrix P from  $\alpha$  to  $\beta$ .
  - ii. Find the transition matrix Q from  $\beta$  to  $\alpha$ .
  - iii. Find $[T]_{\alpha}$ .

OR

- Q.5(B) Let  $T: \mathbb{R}^3 \to \mathbb{R}^3$  be the linear transformation defined by T(x,y,z) = (2y+z,-x+4y+z,x+z). Compute  $[T]_\alpha$  and  $[T^*]_{\alpha^*}$  for the standard basis  $\alpha=\{e_1,\ e_2,\ e_3\}.$
- Q.6(A) Find an orthogonal basis for  $\mathbb{R}^3$  with the Euclidean inner product by applying the 10M Gram-Schmidt orthogonalization to the vectors  $x_1 = (1,0,1), x_2 = (1,0,-1), x_3 = (0,3,4).$

 $x_1 = (1, 0, 1), x_2 = (1, 0, -1), x_3 = (0, 3, 4).$ OR

Q.6(B) Find the Projection matrix for  $A = \begin{bmatrix} c_1 & c_2 & c_3 \end{bmatrix} = \begin{bmatrix} 1 & 1 & 0 \\ 1 & 0 & 1 \\ 0 & 1 & 1 \\ 0 & 0 & 1 \end{bmatrix}$ .

Hall Ticket No: Question Paper Code: 18MAT102 MADANAPALLE INSTITUTE OF TECHNOLOGY & SCIENCE, MADANAPALLE (UGC-AUTONOMOUS) B.Tech I Year I & II Semester (R18) Supplementary End Semester Examinations - Jan 2020 LINEAR ALGEBRA AND DIFFERENTIAL EQUATIONS (CE) Time: 3Hrs Max Marks: 60 Attempt all the questions. All parts of the question must be answered in one place only. All parts of Q.no 1 are compulsory. In Q.no 2 to 6 answer either Part-A or B only Q.1 i. Define transpose of a matrix. 1M Calculate the determinant of the matrix  $A = \begin{bmatrix} 4 & -1 \\ 3 & 0 \end{bmatrix}$ . ii. 1M iii. Write the definition of a homogeneous function. 1M Find the order and the degree of the differential equation y'' + 16y = 2x. iv 1M What is a singular point of a differential equation? 1M ٧. vi What is an ordinary point of the differential equation? 1M vii. What is the definition of Partial differential equation. 1M Write the D'Alembert's solution of the wave equation. viii. 1M Write the general form of Heat equation in 2-D. ix. 1M Explain Laplacian  $\nabla^2 u = 0$ , in polar form. 1M Reduce the matrix  $A = \begin{bmatrix} -1 & 2 & -2 \\ 1 & 2 & 1 \\ 1 & 1 & 2 \end{bmatrix}$  into diagonal form. Q.2(A) 10M Q.2(B) Obtain the parabola  $y = ax^2 + bx + c$  passing through the points (0,11), (1,5) and 10M (2,3) by using Gauss-Elimination Method. Explain orthogonal trajectory. Find the orthogonal trajectories of the given curve Q.3(A)10M y = ax. Suppose that an object initially having a temperature of  $20^{o}C$  is placed in a large Q.3(B)10M temperature controlled room of  $80^{\circ}C$  and one hour later the object has a temperature of  $35^{\circ}C$ . What will its temperature be after 3 hours? Show that the given set of functions  $\{y_1(x), y_2(x)\} = \{x, \ln x\}$  forms a basis of the Q.4(A) 10M equation and hence solve the IVP:  $x^2y'' - xy' + y = 0$ , y(1) = 3; y'(1) = 4.

Write the general form of the Legendre differential equation and express f(x) =

 $x^4 + 2x^3 - 6x^2 + 5x - 3$  in terms of Legendre polynomials.

Q.5(A) Solve the PDE  $\frac{x^2}{p} + \frac{y^2}{q} = z$ .

10M

Q.5(B) Solve the Lagrange's equation  $(x^2 - yz)p + (y^2 - zx)q = z^2 - xy$ .

- 10M
- Q.6(A) Find the deflection of a vibrating string of unit length having fixed ends with initial 10M velocity zero and the initial deflection  $f(x) = k(\sin x \sin 2x)$ .
- Q.6(B) Using the method of separation of variables, solve  $\frac{\partial u}{\partial x} = 2 \frac{\partial u}{\partial t} + u$ , where u(x,0) = 10M  $6e^{-3x}$ .

Hall Ticket No:								-			Question Paper Code: 18MAT107
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## MADANAPALLE INSTITUTE OF TECHNOLOGY & SCIENCE, MADANAPALLE

(UGC-AUTONOMOUS)

B.Tech I Year I & II Semester (R18) Supplementary End Semester Examinations – Jan 2020 LINEAR ALGEBRA, COMPLEX VARIABLES AND ORDINARY DIFFERENTIAL EQUATIONS

(Common to ECE & ME)

Time: 3Hrs Max Marks: 60

Attempt all the questions. All parts of the question must be answered in one place only.

All parts of Q.no 1 are compulsory. In Q.no 2 to 6 answer either Part-A or B only

- Q.1 i. When the linear system of non-homogeneous equations are said to be 1M consistent
  - ii. Find the characteristic polynomial of the matrix  $A = \begin{bmatrix} 3 & 1 \\ -2 & 4 \end{bmatrix}$
  - iii. Find the value of Log(-ei)
  - iv State the Cauchy-Riemann equations for Cartesian coordinates 1M
  - Write the principal part of the function  $\frac{\sin z}{z}$  at its isolated singular points and

determine whether that point is a pole, a removable singular point, or an essential singular point.

- vi State the Cauchy Integral formula 1M
- vii. Write the general solution of Exact Differential Equation 1M
- viii. Solve  $p = \sin(y xp)$ , where  $p = \frac{dy}{dx}$
- ix. Find the complementary function of the differential equation  $y'' + 9y = \cot 3x$  1M
- X. Find the inverse Laplace transform of  $\frac{30}{p^4}$
- Q.2(A) Find the complete solution set for the following homogeneous system of linear 10M equations

$$-2x_1 - 3x_2 + 2x_3 - 13x_4 = 0, -4x_1 - 7x_2 + 4x_3 - 29x_4 = 0, x_1 + 2x_2 - x_3 + 8x_4 = 0$$

Q.2(B) Let  $L: \mathbb{R}^3 \to \mathbb{R}^4$  given by  $L \begin{bmatrix} x_1 \\ x_2 \\ x_3 \end{bmatrix} = \begin{bmatrix} 4 & -2 & 8 \\ 7 & 1 & 5 \\ -2 & -1 & 0 \\ 3 & -2 & 7 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \\ x_3 \end{bmatrix}$ . Verify the Rank-Nullity theorem.

Q.3(A) Define the Cauchy-Riemann equations for polar coordinates. Also, show that the 10M function  $f(z) = \frac{1}{z^2}(z \neq 0)$  is differentiable in the indicated domain and find f'(z).

OF

- Q.3(B) (i) Find the harmonic conjugate v(x,y), given that  $u(x,y) = y^3 3x^2y$ 
  - (ii) Find the principal value of  $i^\prime$

5M 5M

Q.4(A) Evaluate the integral 
$$\int_{c} \frac{5z-2}{z(z-1)} dz \text{ , where } c:|z|=2$$

$$OR$$
Q.4(B) Show that when  $0<|z-1|<2$ ,  $\frac{z}{(z-1)(z-3)}=-3\sum_{n=0}^{\infty} \frac{(z-1)^n}{2^{n+2}}-\frac{1}{2(z-1)}$ 
10M
Q.5(A) Solve the differential equation  $2ydx+x(2\log x-y)dy=0$ 

$$OR$$
Q.5(B) Solve  $x=yp+ap^2$ , where  $p=\frac{dy}{dx}$ 
10M
Q.6(A) Solve  $y''-2y'+2y=e^x\tan x$  by using the method of variation of parameters
$$OR$$
Q.6(B) Solve  $y''+5y'+6y=5e^{3t}$  given that  $y(0)=y'(0)=0$ 
10M

ŀ	łall Ticke	et No: Question Paper Code: 18MAT10	06										
	MAD	PANAPALLE INSTITUTE OF TECHNOLOGY & SCIENCE, MADANAPALL	.E										
	(UGC-AUTONOMOUS)												
	B.Tech I Year I & II Semester (R18) Supplementary End Semester Examinations – Jan 2020												
	LINEAR ALGEBRA AND TRANSFORM CALCULUS												
	Time	(EEE) : 3Hrs Max Marks: 60	1										
	r	Attempt all the questions. All parts of the question must be answered in one place only.											
		All parts of Q.no 1 are compulsory. In Q.no 2 to 6 answer either Part-A or B only											
	Q.1	i. When the system of homogeneous equations have non-trivial solution	1M										
		ii. Find the Eigen values of the matrix $A = \begin{bmatrix} 2 & 1 \\ 1 & -1 \end{bmatrix}$ .	1M										
		C	4.5.4										
		iii. Verify Cauchy-Riemann equations for the function $f(z) = e^{-z}$	1M										
		iv Define Cauchy-Goursat theorem v. Evaluate $L\{e^{2t}\}$	1M 1M										
			1M										
		Vi Find $L^{-1}\left\{\frac{1}{s+1}\right\}$	2111										
		vii. Write the Fourier transform of $f(x)$	1M										
			1M										
		viii. Find the Fourier sine transform of $f(x) = \frac{1}{x}$ .											
		Determine the Z-transform of $\frac{1}{n!}$	1M										
		n;	1.0.4										
		x. Find the Z-transform of unit step sequence.	1M										
	Q.2(A)	$\begin{bmatrix} 1 & 0 & 1 \end{bmatrix}$	10M										
		Find eigenvalues and eigenvectors for the matrix $A = \begin{bmatrix} 1 & 0 & 1 \\ 0 & 2 & -3 \\ 0 & 0 & -5 \end{bmatrix}$											
		$\begin{bmatrix} 0 & 0 & -5 \end{bmatrix}$											
		OR											
	Q.2(B)	Reduce the quadratic form $2xy + 2zx - 2yz$ to the canonical form and specify the matrix	10M										
	٧.٤(٥)	of transformation. Discuss its nature.	20111										
,	Q.3(A)	$\int x^3(1+i)-y^3(1-i)$ for $z \neq 0$	10M										
		Prove that the function $f(z)$ defined by $f(z) = \begin{cases} \frac{x^3(1+i)-y^3(1-i)}{x^2+y^2} & \text{for } Z \neq 0 \\ 0 & \text{for } Z = 0 \end{cases}$											
		0   for Z = 0											
		is continuous and the Cauchy-Riemann equations are satisfied at the origin, yet $f'(0)$											
		does not exist.											
		OR											
	Q.3(B)	Evaluate the integral $\oint \frac{z^2-z+1}{z-1} dz$ where C is the circle defined by $ z =2$	10M										
		Evaluate the integral $\phi = \frac{uz}{z-1}$ where C is the circle defined by $ z  = 2$											

Q.4(A) Prove that 
$$\int_{0}^{\infty} \frac{e^{-at} - e^{-bt}}{t} dt = \log \frac{b}{a}$$
 by using Laplace transform property.

OR

Q.4(B) Solve the equation by the Transform method  $y'' + 4y' + 3y = e^{-t}$  given that 10M  $y(0) = y'(0) = 1$ 

Q.5(A) Find the Fourier transform of  $f(x) = \begin{cases} 1, & \text{if } |x| < 1 \\ 0, & \text{if } |x| > 1 \end{cases}$ . Hence evaluate  $\int_{0}^{\infty} \frac{Sinx}{x} dx$ 

OR

Q.5(B) Recall Fourier Cosine Transform and evaluate Fourier cosine transform of  $e^{-x^2}$ 

10M

Q.6(A) Find the Z-transform of (i)  $\frac{a^n}{n!}$  (ii)  $e^{-n}$ 

OR

Q.6(B) Using Z-transform, solve 
$$y_{n+2} + 6y_{n+1} + 9y_n = 2^n$$
 with  $y_0 = y_1 = 0$ . 10M \*\*\* END\*\*\*

Hall Ticket No:											Question Paper Code: 18CHE101
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## MADANAPALLE INSTITUTE OF TECHNOLOGY & SCIENCE, MADANAPALLE

(UGC-AUTONOMOUS)

## B.Tech | Year | & | Semester (R18) Supplementary End Semester Examinations - Jan 2020

	(Common to All)		
Tim	ne: 3Hrs	Max Marks: 60	0
	Attempt all the questions. All parts of the question must be answered in o All parts of Q.no 1 are compulsory. In Q.no 2 to 6 answer either Part-A	'	
Q.1	i. Why $NH_3$ - $NH_4Cl$ buffer solution is added in determination of haby EDTA method.	rdness of water	1N
	ii. What happened when temporary hard water is boiled? Give equa	ation.	1N
	iii. What is condensation reaction? Give one example.		1N
	iv Define ionization energy? Explain why second ionization energy that of first ionization energy.	gy is more than	1N
	v. Define chemical shift?		1N
	vi How many fundamental vibration modes are there in CO atom?		1N
	vii. What is an isolated system?		1٨
	viii. What is standard electrode potential? Mention Hydrogen star potential	ndard electrode	1٨
	ix. Write Scherrer's equation.		1٨
	x. What is the function of gypsum in cement?		1١
Q.2(A)	<ul> <li>i) How is water analyzed for alkalinity? How the alkalinity due to vari determined.</li> <li>ii) 200 ml of a sample of water required 20ml N/50 H<sub>2</sub>SO<sub>4</sub> using mindicator but did not give any coloration with phenolphthaleine. alkalinity is present? Express the same in mg/L.</li> </ul>	ethyl orange as	6N 4N
Q.2(B)	i) Explain ion exchange process with neat diagram and give its merits.		5N
	ii) Write about treatment of brakish water by reverse osmosis.		5٨
Q.3(A)	, .		5٨
	ii) Explain the condensation polymerization of nylon 6,6. OR	!	5N
Q.3(B)	i) Elucidate the structure of following molecules using VSEPR theory. a) $CH_4$ b) $XeF_2$ c) $SF_4$		6N
	ii) Write about E1 reaction with example.		4١
Q.4(A)	What is the electronic spectroscopy? Explain the basic princip spectroscopy.	le of electron 1	101
	OR		
Q.4(B)	i) Write the principle of IR spectra. Explain about types of vibrations?	1	10

Q.5(A)	i) Discuss the functioning of $H_2$ - $O_2$ fuel cell with a neat diagram.	7M-
	ii) Write about Nernst equation	3M
	OR	
Q.5(B)	Derive the expression for the change in entropy under isothermal and isochoric processes.	10M
Q.6(A)	Explain the preparation of Portland Cement with a neat diagram.	10M
	OR	
Q.6(B)	i) Give a detail account on the synthesis of nanomaterial using sol-gel process.	7M
	ii) write applications of nanomaterials in hydrogen storage  *** FND***	3M

Hall Ticket No:					

Question Paper Code: 18MAT101

## MADANAPALLE INSTITUTE OF TECHNOLOGY & SCIENCE, MADANAPALLE

(UGC-AUTONOMOUS)

B.Tech I Year I & II Semester (R18) Regular & Supplementary End Semester Examinations – Jan 2020 ENGINEERING CALCULUS

(Common to CE, ME, ECE, CSE, CSIT & CST)

Time: 3Hrs

Max Marks: 60

Attempt all the questions. All parts of the question must be answered in one place only.

All parts of Q.no 1 are compulsory. In Q.no 2 to 6 answer either Part-A or B only

	All	parts of Q.no 1 are compulsory. In Q.no 2 to 6 answer either Part-A or B only	MARA AND STREET
Q.1	i.	Determine the area between the curve $y = \sqrt{x}$ , $0 \le x \le 4$ and the x-axis.	1M
	ii.	Find the value of $\Gamma\left(\frac{7}{2}\right)$	1M
	iii.	State Rolle's theorem.	1M
	iv	Find the Maclaurin's series of $f(x) = e^x$	1M
	V.	Test the convergence of the series $\sum_{n=1}^{\infty} \frac{1}{n+3}$	1M
	vi	Write the formula for half range cosine series for the function $f(x)$ in $(0,l)$	1M
	vii.	Find $\frac{dy}{dx}$ if $f(x, y) = y^2 - x^2 - \sin xy$	1M
	viii.	When does the stationary point (a, b) is said to be a saddle point of the function	1M
		f(x,y).	
	ix.	Evaluate the double integral $\int_{1}^{\sqrt{3}} \int_{1}^{2x} dy dx$	1M
	х.	State Gauss Divergence theorem.	1M
Q.2(A)	i. Fin	d the area of the polar curve $r = a \sin 2\theta$	5M
		ind the volume of the solid generated by the revolution of the cardioid	5M
	r = 0	$a(1-\cos heta)$ about the initial line	
1		OR	
Q.2(B)		ow that $\int_{0}^{\frac{\pi}{2}} \sqrt{\sin \theta} d\theta \times \int_{0}^{\frac{\pi}{2}} \frac{d\theta}{\sqrt{\sin \theta}} = \pi$	5M
	ii. sh	ow that $\Gamma(n) = \int_0^1 \left( \log \frac{1}{y} \right)^{n-1} dy (n > 0)$	5M
00/41			4084

Q.3(A) Using Lagrange's mean value theorem, prove that

10M

5M

$$\frac{b-a}{1+b^2} < \tan^{-1}b \quad \tan^{-1}a < \frac{b-a}{1+a^2} \text{ and hence deduce that } \frac{\pi}{4} + \frac{3}{25} < \tan^{-1}\left(\frac{4}{3}\right) < \frac{\pi}{4} + \frac{1}{6}$$

OR

Q.3(B) i. Show that  $\sin x (1 + \cos x)$  is a maximum when  $x = \frac{\pi}{3}$ 

ii. Find the maximum and minimum values of  $3x^4 - 2x^3 - 6x^2 + 6x + 1$  in the interval (0, 2).

- Q.4(A) Test the convergence of the series i)  $\sum_{n=1}^{\infty} \frac{\cos n\pi}{n\sqrt{n}}$  ii)  $\sum_{n=2}^{\infty} \frac{n+7}{n^2-n}$  OR
- Q.4(B) Obtain the half range cosine series for the function  $f(x) = \begin{cases} \pi x, & 0 \le x \le 1 \\ \pi (2-x), 1 \le x \le 2 \end{cases}$ .
- Deduce that  $\frac{1}{1^2} + \frac{1}{3^2} + \frac{1}{5^2} + \dots = \frac{\pi^2}{8}$ .

  Q.5(A) Find  $\frac{\partial w}{\partial u}$  and  $\frac{\partial w}{\partial v}$ , if w = xy + yz + zx, x = u + v, y = u v, z = uv at (1,2)

Q.5(B) A delivery company accepts only rectangular boxes the sum of whose length and girth 10M (perimeter of cross section) does not exceed 108 inches. Find the dimensions of an acceptable box of largest volume.

- Q.6(A) i. Using polar coordinates, evaluate  $\iint_R e^{x^2+y^2} dy dx$ , where R is the semicircular region bounded by the x-axis and the curve  $y = \sqrt{1-x^2}$ .
  - ii. Evaluate  $\int_{0}^{\pi} \int_{0}^{\pi} \int_{0}^{2\sin\phi} \rho^{2} \sin\phi d\rho d\phi d\theta$  OR

Q.6(B) Verify Green's theorem for the vector field F(x,y) = (x-y)i + xj and the region R 10N bounded by the unit circle  $C: r(t) = (\cos t)i + (\sin t)j$ ,  $0 \le t \le 2\pi$ \*\*\* FND\*\*\*

Hall Ticket No:					Question Paper Code: 18MAT105

## MADANAPALLE INSTITUTE OF TECHNOLOGY & SCIENCE, MADANAPALLE

(UGC-AUTONOMOUS)

B.Tech I Year I & II Semester (R18) Regular & Supplementary End Semester Examinations – Jan 2020

		CALCULUS AND DIFFERENTIAL EQUATIONS	2020
Time	e: 3Hrs	(ΕΕΕ) Max Marks: θ	60
	•	ot all the questions. All parts of the question must be answered in one place only.  parts of Q.no 1 are compulsory. In Q.no 2 to 6 answer either Part-A or B only	
Q.1	i.	Define Rolle's Theorem?	1M
	ii.	Find the length of the curve $y = x$ from $x = 0$ to $x = 4$ .	1M
	iii.	Find the limit of $\underset{x\to\infty}{Lt} \frac{\ln x}{2\sqrt{x}}$	1M
	iv.	When the function $f(x, y)$ has saddle point	1M
	V.	Evaluate $\iint_{\mathbb{R}} dA$ , when $0 \le x \le 2, 0 \le y \le 2$	1M
	vi.	State Gauss divergence theorem.	1M
	vii.	Define order and degree of a differential equation.	1M
	viii.	What is particular integral of $y'' - 4y = e^x$	1M
	ix.	Write the general form of claurit's differential equation.	1M
	х.	State comparison test for convergence.	1M
Q.2(A)	Verif	y Rolle's theorem for the function $f(x) = \frac{Sinx}{e^x}$ in $(0, \pi)$	10M
		OR ·	
Q.2(B)	Find	the area of the Cardioid $r = a(1 + Cos\theta)$ .	10M
Q.3(A)		tigate the maxima and minima, if, any of the function $y = \sin x + \sin y + \sin(x + y)$ .	10M
		OR	
Q.3(B)		the derivative of $f(x, y, z) = x^3 - xy^2 - z$ at the point (1, 1, 0) in the direction of $-3j+6k$	10M
Q.4(A)		th the region of integration, reverse the order of integration, and evaluate the	10M
	integ	ral $\int_{0}^{\pi} \int_{0}^{\pi} \frac{\sin y}{y} dy dx$	
		OR	
Q.4(B)	Verif	y divergence theorem for the expanding vector field $F = x\overline{i} + y\overline{j} + z\overline{k}$ over the	10M
		$e^{x^2 + y^2 + z^2} = a^2.$	
Q.5(A)	(i) Sol	ve(x+y)dx - (x-y)dy = 0	5M
	(ii) So	$\frac{dy}{dx} + \frac{y\cos x + \sin y + y}{\sin x + x\cos y + x} = 0$	<b>584</b>
	, , , = 0	$dx \sin x + x \cos y + x$	5M

Q.5(B) Find the general solution of  $y'' + 10y' + 25y = 14e^{-5x}$ 

10M

5M

- Q.6(A) (i) Form the partial differential equations by eliminating the arbitrary constants from  $x^2 + y^2 + (z c)^2 = r^2$ 
  - 5M
  - (ii) Form the partial differential equations by eliminating the arbitrary functions from z = f(x+at) + g(x-at)

OR

Q.6(B) Use any method to determine the series converges or diverges.  $\sum_{n=1}^{\infty} \frac{(n+1)(n+2)}{n!}$  10M

Hall Ticket No:											Question Paper Code: 18CSE102
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### MADANAPALLE INSTITUTE OF TECHNOLOGY & SCIENCE, MADANAPALLE

(UGC-AUTONOMOUS)

B.Tech I Year I & II Semester (R18) Supplementary End Semester Examinations – JAN 2020 C PROGRAMMING & DATA STRUCTURES

(Common to All)

Tim	e: 3Hrs (Common to All)  Max Marks:	60
		ВО
	Attempt all the questions. All parts of the question must be answered in one place only.  All parts of Q.no 1 are compulsory. In Q.no 2 to 6 answer either Part-A or B only	
Q.1	<ul><li>i. Int a=5,b=4; if(a/b) printf("b is big"); else printf("a is big");</li></ul>	1M
	What is the output of above program?	
	ii. List the different types of constants.	1M
	iii. What value contains in array name?	1M
	iv Write a program for finding the largest number in an array.	1M
	v. Define Structure. Write the syntax of structure.	1M
	vi Write the advantages and disadvantages of using pointers.	1M
	vii. List the queue operations.	1M
	viii. Write the Classification of Data Structure.	1M
	ix. Is FILE a built-in data type?	1M
	x. What are the file handlings functions in C?	1M
Q.2(A)	Explain in detail about bit wise operators with examples	10M
	OR	
Q.2(B)	Discuss the various variations of 'if' statement. List out the differences between while	10M
, ,	and do-while loops.	
Q.3(A)	Explain the sequential and binary search methods with examples.	10M
	OR	
Q.3(B)	What are the elements of user defined functions? Explain.	10M
Q.4(A)	Describe three different approaches that can be used to pass structures as function	10M
, ,	arguments.	
	OR	
Q.4(B)	Explain the Swapping of two numbers and changing the value of a variable using pass	10M
	by reference.	
Q.5(A)	List and explain the applications of stack and queue	10M
	OR	
Q.5(B)	Write a program to implement given scenario using stack operations. Use stack	10M
	operation to push these characters 'o p e r a t i o n', perform pop operation three	
	times and then push 'o r 'characters and finally display stack content	
Q.6(A)	Implement a C program to insert a substring in to given main string from a given	10M
/	position	
	OR	
Q.6(B)	What is a file? What are the uses of files in 'C'? Explain about different modes of	10M
ر.٥(۵)	files.	TOIVI
	*** END***	

Hall Ticket No: Question Paper Code: 1
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#### MADANAPALLE INSTITUTE OF TECHNOLOGY & SCIENCE, MADANAPALLE

(UGC-AUTONOMOUS)

B.Tech I Year I Semester (R18) Regular & Supplementary End Semester Examinations – Dec 2019

#### BASIC ELECTRICAL ENGINEERING

(Common to All)

Time: 3Hrs

Attempt all the questions. All parts of the question must be answered in one place only.

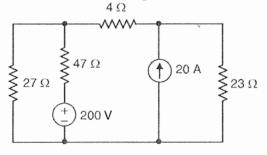
All parts of Q.no 1 are compulsory. In Q.no 2 to 6 answer either A or B only

Q.1	i.	Define the Resistance and give its unit of measurement.	1M
	ii.	Two equal and parallel resistors of each 20 ohm connected in series with a bulb of	1M
		10 ohm resistance. If the total circuit is supplied by a 100 V battery then determine	
		current through the bulb?	
	iii.	Define Apparent Power?	1M
	iv.	Write the expression for form factor of a sinusoidal wave.	1M
	v.	Draw the B-H curve.	1M
	vi.	How eddy current loss will be minimized?	1M
	vii.	What is Commutator?	1M
	viii.	A 12 pole, 50 Hz induction motor is running at 450rpm. Calculate the % slip of the	1M
		motor.	
	ix.	Expand ELCB.	1M
	×	What are the different types of cables?	1M

Q.2(A) Apply the nodal analysis to determine node voltages.

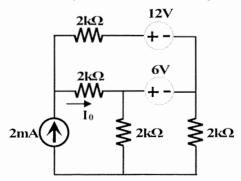
10M

Max Marks: 60



OR

Q.2(B) (I) State superposition theorem and Steps to Analyse Superposition Theorem. 3M (ii) By means of superposition theorem, calculate the current I<sub>o</sub> in the network shown. 7M



Q.3(A)	(i). A coil, having both resistance and inductance, has a total effective impedance of 50 $\Omega$ and the phase angle of the current through it with respect to the voltage across it is 45° lag. The coil is connected in series with a 40 $\Omega$ resistor across a sinusoidal supply. The circuit current is 3A. Find (a) supply voltage and (b) circuit phase angle.	5M
	(ii). A circuit consisting of a resistor in series with a capacitor takes 100 watts at a power factor of 0.5 from a 100 V, 60 Hz supply. Find (a) the current flowing, (b) the phase angle, (c) the impedance, (d) the resistance, and (e) the capacitance.  OR	5M
Q.3(B)	<ul><li>i. Write the advantages of three phase AC systems.</li><li>ii. Derive relation between line and phase voltages and currents in a BALANCED star connection and expression for real power.</li></ul>	3M 7M
Q.4(A)	(i) Derive the emf equation of a transformer.	5M
	(ii) Write short notes on different losses in transformer.	5M
	OR	
Q.4(B)	(i) Draw the equivalent circuit of a transformer.	5M
	(ii)The primary winding of a single phase transformer is connected to a 220 V, 50 Hz supply.	5M
	The secondary winding has 2000 turns. If the maximum value of the core flux is 0.003wb,	
	determine	
	(a) the number of turns on the primary winding	
	(b) the secondary induced voltage	
Q.5(A)	Explain the construction of DC Generator in detail with neat sketch.	10M
	OR	
Q.5(B)	(i) Explain the principle of operation of a Three Phase Induction motor.	6M
Q.5(D)	(ii) A 3-Phase induction motor is wound for 4-poles and is supplied from a 50 Hz system.	4M
	Calculate	7111
	(a) Synchronous speed	
	(b) the speed of the rotor when the slip is 4%	
	(c) the rotor frequency when the rotor runs at 1200 rpm.	
Q.6(A)	Draw and explain the P-N Junction diode and its characteristics.	10M
	OR	
Q.6(B)	With a neat circuit diagram and waveforms explain the working of full wave bridge rectifier.	10M

### MADANAPALLE INSTITUTE OF TECHNOLOGY & SCIENCE, MADANAPALLE

(UGC-AUTONOMOUS)

## B.Tech I Year I Semester (R18) Regular End Semester Examinations –JAN 2020 ENGINEERING GRAPHICS

(Common to All)

Time: 3Hrs

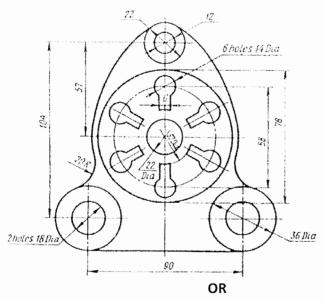
Max Marks: 60

Attempt all the questions. All parts of the question must be answered in one place only.

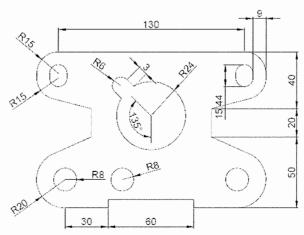
All parts of Q.no 1 are compulsory. In Q.no 1 to 5 answer either Part-A or B only

Q.1(A) Draw the below figure using Auto CAD commands

12M



Q.1(B) Draw the below figure using Auto CAD commands(Assume suitable data if any 12M missed)



- Q.2(A) i. Two points A and B are on H.P; the point A being 30mm in front of V.P, while B is 45mm behind V.P. The joining their top views makes an angle of 45° with xy. Find the horizontal distance between two points.
  - ii. A point B is 20mm above H.P, 10mm in front of V.P and 30mm in front of P.P. 6M Draw front view, top view and left side view of the point.

	OR	
Q.2(B)	Draw the projection of line AB 90mm long, its midpoint M being 50mm above H.P and 40mm in front of V.P. The end A is 20mm above H.P and 10mm infront of the V.P. Show the inclinations of the line with H.P and V.P.	12M
Q.3(A)	A square ABCD of 50mm side, has its corner A in the H.P, its diagonal AC is inclined at $30^{\circ}$ to the H.P and the diagonal BD is inclined at $45^{\circ}$ to the V.P and parallel to H.P. Draw its projections.	12M
	OR	
Q.3(B)	A triangular prism, base 40mm side and height 65mm, is resting on H.P on one of its base edges. The axis of the prism is inclined at $40^{\circ}$ to the H.P and parallel to the V.P. Draw its projections.	12 M
Q.4(A)	A hexagonal prism of side 50 mm is resting on HP on one of its base with two vertical faces being parallel to VP. It is cut by a vertical plane inclined at 45° to VP and is 8 mm away from the axis. Draw its top view, sectional front view and true shape of section.	12M
	OR	
Q.4(B)	A cube of 50 mm long edges is resting on the H.P. with a vertical face inclined at $30^{\circ}$ to the V.P. It is cut by a section plane, perpendicular to the V.P. inclined at $30^{\circ}$	12M

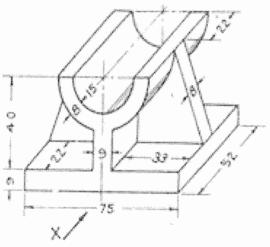
to the H.P. and passing through a point on the axis, 38 mm above the H.P. Draw the

12M

development of the lateral surface of the remaining portion of the cube.

Draw the front view, top view and right side view of the object shown below.

Q.5(A)



OR

Q.5(B) A square prism of base 50 mm side and height 125 mm stands on the ground with 12M its side of base inclined at an angle of 30° to VP. It is penetrated by a cylinder of diameter 50 mm and axis 125 mm long. The axis of the cylinder is parallel to both HP and VP and bisects the axis of the prism. Draw the projection showing fully the curves of intersection.

### MADANAPALLE INSTITUTE OF TECHNOLOGY & SCIENCE, MADANAPALLE

(UGC-AUTONOMOUS)

## B.Tech I Year I Semester (R18) Regular End Semester Examinations –JAN 2020 ENGINEERING GRAPHICS

(Common to All)

Time: 3Hrs

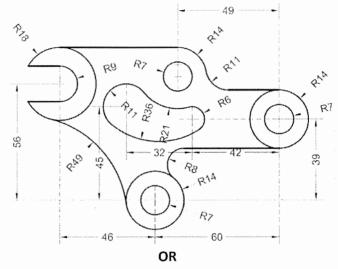
Max Marks: 60

Attempt all the questions. All parts of the question must be answered in one place only.

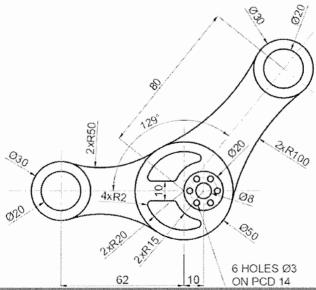
All parts of Q.no 1 are compulsory. In Q.no 1 to 5 answer either Part-A or B only

Q.1(A) Draw the below figure using Auto CAD commands

12M



Q.1(B) Draw the below figure using Auto CAD commands

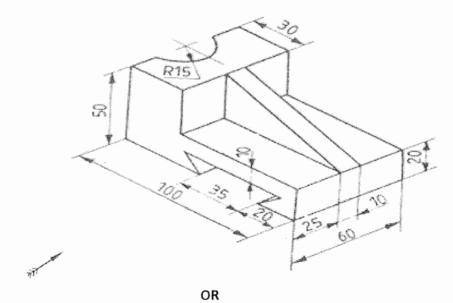


- Q.2(A) Draw the projections of the following points by keeping the projectors as 50mm 12M apart
  - a. Point A In H.P and 20 mm behind V.P
  - b. Point B 30 mm below H.P, 45mm behind V.P
  - c. Point C 40 mm above H.P, 35mm in front of V.P
  - d. Point D On HP and on VP

- OR Q.2(B)A line AB 65mm long has its end A, 20mm above H.P and 25mm in front of V.P. The 12M end B is 40mm above H.P and 65mm in front of V.P Draw the projections of AB and show its inclination with H.P and V.P. Q.3(A)A pentagon of 30mm side has one corner on H.P. Its plane is inclined at 65° to V.P 12M and parallels to H.P. Draw its projections. OR Q.3(B)An equilateral triangular prism of side of base 25mm and axis 50mm long is resting 12M on an edge of its base on H.P. The face containing that edge is inclined at 30° to H.P. Draw the projections of the prism, when the edge on which the prism rests, is inclined at 60° with V.P. Q.4(A) A pentagonal prism of base side 30 mm and axis length 60mm is resting on H.P on 12M its base with one of its base side parallel to VP. It is cut by a plane inclined at 30° to H.P and perpendicular to VP and is bisecting the axis. Draw its front view and sectional top view OR Q.4(B)A cylinder of diameter of base 40mm and axis 55mm long is resting on its base on 12M H.P. It is cut by a section plane, perpendicular to V.P and inclined at 45° to H.P. The
- Q.5(A) Draw the front, top and right side views of the bracket shown in the picture below. 12M

cylinder. Draw the development of the lateral surface of the cut cylinder.

section plane is passing through the top end of an extreme generator of the



Q.5(B) A cylinder of 60 mm diameter stands vertically on its base. It is pierced by a horizontal square prism of 35 mm side of base such that the axes of the two solids intersect each other at right angles. The faces of the prism are equally inclined to VP. Draw the projections of the solids, showing the lines of intersection. (Assume suitable lengths for prism and cylinder)

#### MADANAPALLE INSTITUTE OF TECHNOLOGY & SCIENCE, MADANAPALLE

(UGC-AUTONOMOUS)

## B.Tech I Year I Semester (R18) Regular End Semester Examinations –JAN 2020 ENGINEERING GRAPHICS

(Common to All)

Time: 3Hrs

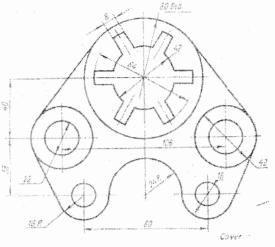
Max Marks: 60

Attempt all the questions. All parts of the question must be answered in one place only.

All parts of Q.no 1 are compulsory. In Q.no 1 to 5 answer either Part-A or B only

Q.1(A) Draw the below figure using Auto CAD commands

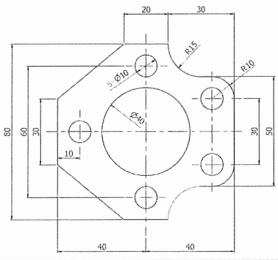
12M



OR

Q.1(B) Draw the below figure using Auto CAD commands

12M



Q.2(A) A point P is 15mm above H.P and 20mm in front of V.P. Another point Q is 25mm behind V.P and 40mm below H.P. Draw projections of the points P and Q; keeping the distance between their projectors equal to 90mm. Draw the straight lines joining their top views and the front views. Also state the quadrants in which the points P and Q lies.

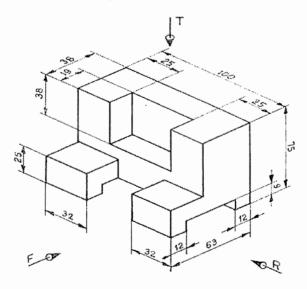
- Q.2(B) A line MN 80mm long is parallel to V.P and inclined at 45° to H.P. The end M is 30mm above H.P and 25mm in front of V.P. Draw the projections of the line and finds its inclinations with HP and VP.
- Q.3(A) Draw the projections of a regular hexagon of 25mm side, having one of its sides in H.P and inclined at 60<sup>0</sup> to V.P. The surface of the hexagon is making an angle of 45<sup>0</sup> with H.P.

OR

- Q.3(B) A hexagonal pyramid base 25 mm side axis 50 mm long, has edge of its base on the ground .its axis is inclined at 30° to ground ,and parallel to V.P. Draw projections.
- Q.4(A) A cylinder, 65 mm diameter and 90 mm long have its axis parallel to the H.P. and inclined at 30° to the V.P. It is cut by a vertical section plane in such a way that the true shape of the section is an ellipse having the major axis 75 mm long. Draw its sectional front view and true shape of the section.

OR

- Q.4(B) A pentagonal prism of base side 30mm and height 60 mm resting on its base on H.P 12M with the rectangular face parallel to V.P. It is cut by a section plane inclined at 30 degrees to the H.P and passing though the midpoint of the axis. Draw the development of the lateral surface of the truncated prism.
- Q.5(A) Draw the front view, top view and right side view of the object shown below.



12M

OR

Q.5(B) A Vertical square prism base 50mm side, is completely penetrated by a horizontal square prism, base 35mm side, so that their axes intersect. The axis of the horizontal prism is parallel to the V.P., while the faces of the two prisms are equally inclined to the V.P. Draw the projections of the solids, showing lines of intersection. (Assume suitable lengths for the prisms).

\*\*\* FND\*\*\*

Hall Ticket No:

Question Paper Code: 18ME101

### MADANAPALLE INSTITUTE OF TECHNOLOGY & SCIENCE, MADANAPALLE

(UGC-AUTONOMOUS)

## B.Tech I Year I Semester (R18) Regular End Semester Examinations –JAN 2020 ENGINEERING GRAPHICS

(Common to All)

Time: 3Hrs

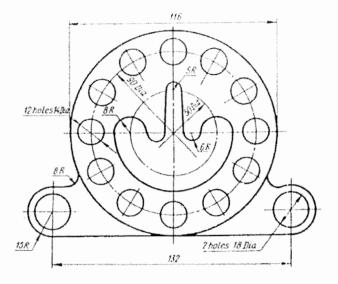
Max Marks: 60

Attempt all the questions. All parts of the question must be answered in one place only.

All parts of Q.no 1 are compulsory. In Q.no 1 to 5 answer either Part-A or B only

Q.1(A) Draw the below figure using Auto CAD commands

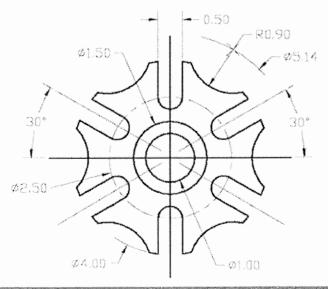
12M



OR

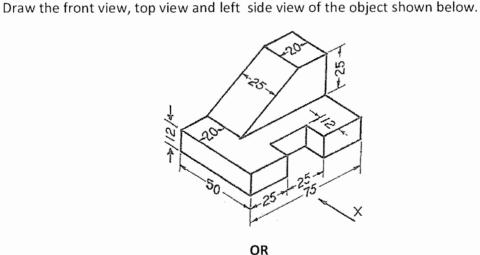
Q.1(B) Draw the below figure using Auto CAD commands

12M



Q.2(A) A line AB 70mm long has its end A at 10 mm above H.P and 15 mm in front of V.P. Its front view and top view measures 50 mm and 60 mm respectively. Draw the projections of the line and determine its inclination with H.P and V.P.

Q.2(B) Draw the projections of the following points on the same ground line and keep the 12M distance between the projectors as 50mm. Name the quadrants in which they are? 1)Point P, 50mm in front of the V.P. and 30mm above the H.P. 2)Point Q, 65mm below the H.P. and on the V.P. 3)Point R, 35mm below the H.P. and 50mm behind the V.P. 4)Point S, 40mm above the H.P. and 45mm in front of the V.P. Q.3(A)Draw the projections of a rhombus, having diagonals 60 and 40 long, the smaller 12M diagonal of which is parallel to both the principal planes, while the other is inclined at 300 to H.P OR A hexagonal prism with side of base 30mm and axis 80mm long is resting with an Q.3(B)12M edge of its base on H.P., such that the rectangular face containing that edge is inclined at 40° to HP. Draw the projections of the prism when its axis is parallel to Q.4(A)A cylinder of base diameter 40 mm and height 80 mm rests on its base on HP. It is 12M cut by section plane perpendicular to VP and inclined at 45° to HP and passing through the axis at a distance 40 mm from base. Draw the front view and the sectional top view. OR Q.4(B)A hexagonal prism of side of base 30 mm and axis 70 mm long is resting on its base 12M on H.P. such that a rectangular face is parallel to V.P. It is cut by a section plane perpendicular to V.P. and inclined at 30° to H.P. The section plane is bisecting the axis of the hexagonal prism.. Draw the development of the lateral surface of the cut prism.



Q.5(A)

A cylinder of base diameter 50 mm and axis 75 mm long is standing on its base on 12M Q.5(B) the HP. It is completely penetrated by a horizontal cylinder of 45 mm diameter and axis 80 mm long, such that their axes intersect at right angles and at 40 mm above the base. Draw the curves of intersection of the solids at their interfaces.

Hall Ticket No: Question P

Question Paper Code: 18ME101

### MADANAPALLE INSTITUTE OF TECHNOLOGY & SCIENCE, MADANAPALLE

(UGC-AUTONOMOUS)

# B.Tech I Year I Semester (R18) Regular End Semester Examinations –JAN 2020 ENGINEERING GRAPHICS

(Common to All)

Time: 3Hrs

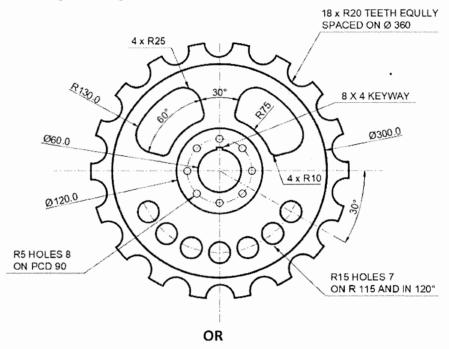
Max Marks: 60

Attempt all the questions. All parts of the question must be answered in one place only.

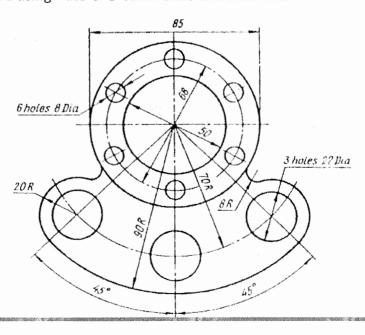
All parts of Q.no 1 are compulsory. In Q.no 1 to 5 answer either Part-A or B only

Q.1(A) Draw the below figure using Auto CAD commands and dimension it.

12M



Q.1(B) Draw the below figure using Auto CAD commands and dimension it.



Page 1 of 2

Q.2(A) i. A point 30 above xy line is the plan view of two points P and Q. The elevation of P is 45 above the H.P while that of the point Q is 35 below the H.P. Draw the projections of points and state their positions with reference to the principal planes and the quadrants in which they lie.
 ii. A point K is 40mm below H.P, 30mm behind V.P and 30mm in front of P.P. Draw its 4M

OR

front view, top view and the left side view.

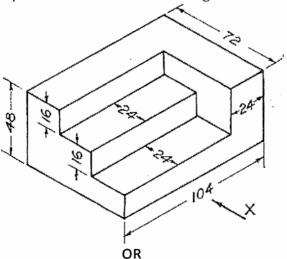
- Q.2(B) The length of the Top view of a line Parallel to V.P and inclined at 45° to H.P is 50mm. 12M one end is 12mm above H.P and 25mm infront of V.P. Draw the Projections of the line and determine its True length.
- Q.3(A) Draw the projections of a circle of 50mm diameter resting in the H.P and a point A on the circumference. Its plane is inclined at 45° to the HP and the top view of the diameter AB making an angle of 30° with the VP.

OR

- Q.3(B) A pentagonal prism side of base 25 mm and axis 50 mm long rests with one of its 12M shorter edges on H.P. such that the base containing that edge makes an angle 30° to H.P. and its axis is parallel to V.P. Draw its projections.
- Q.4(A) A hexagonal prism of side 50 mm is resting on HP on one of its base with two vertical 12M faces being parallel to VP. It is cut by a vertical plane inclined at 45° to VP and is 8 mm away from the axis. Draw its top view, sectional front view and true shape of section.

OF

- Q.4(B) A vertical cylinder of diameter of base 40mm and height 60mm, is cut by a section plane, perpendicular to V.P and inclined at 30° to H.P, so as to bisect the axis. Draw the development of the lateral surface of the truncated portion of the cylinder.
- Q.5(A) Draw the front view, top view and side view of the figure shown below 12M



Q.5(B) A square prism of base 50 mm side and height 125 mm stands on the ground with its 12M side of base inclined at an angle of 30° to VP. It is penetrated by a cylinder of diameter 50 mm and axis 100 mm long. The axis of the cylinder is parallel to both HP and VP and bisects the axis of the prism. Draw the projection showing fully the lines of intersection.

### MADANAPALLE INSTITUTE OF TECHNOLOGY & SCIENCE, MADANAPALLE

(UGC-AUTONOMOUS)

## B.Tech I Year I Semester (R18) Regular End Semester Examinations –JAN 2020 ENGINEERING GRAPHICS

(Common to All)

Time: 3Hrs

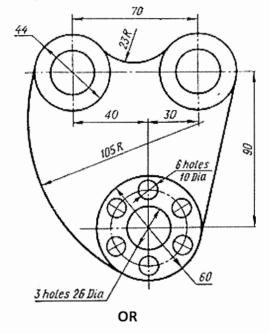
Max Marks: 60

Attempt all the questions. All parts of the question must be answered in one place only.

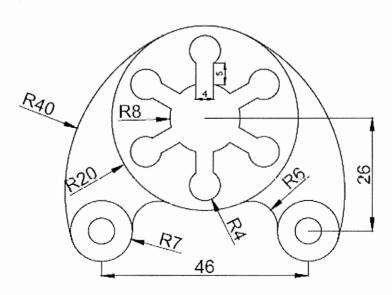
All parts of Q.no 1 are compulsory. In Q.no 1 to 5 answer either Part-A or B only

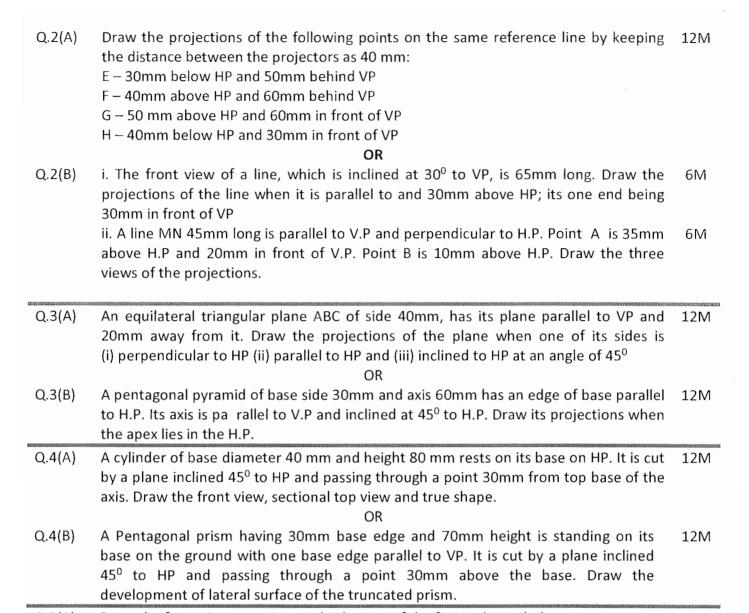
Q.1(A) Draw the below figure using Auto CAD commands and dimension it.

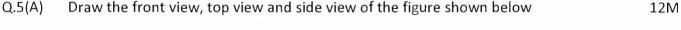
12M

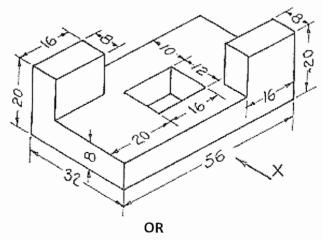


Q.1(B) Draw the below figure using Auto CAD commands and dimension it.









Q.5(B) A cylinder of diameter 45mm pierces through another vertical cylinder of diameter 12M 30mm. The axes are at right angles. The axis of the vertical cylinder is nearer to the V.P. The axis of the penetrating cylinder is parallel to the both the H.P. and the V.P. Draw the projections of the cylinder and show the curves of intersection.

### MADANAPALLE INSTITUTE OF TECHNOLOGY & SCIENCE, MADANAPALLE

(UGC-AUTONOMOUS)

## B.Tech I Year I Semester (R18) Regular End Semester Examinations –JAN 2020 ENGINEERING GRAPHICS

(Common to All)

Time: 3Hrs

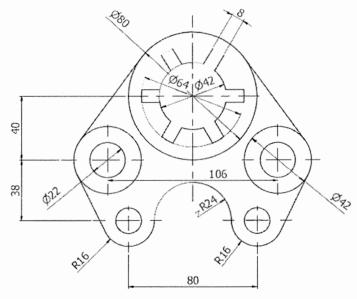
Max Marks: 60

Attempt all the questions. All parts of the question must be answered in one place only.

All parts of Q.no 1 are compulsory. In Q.no 1 to 5 answer either Part-A or B only

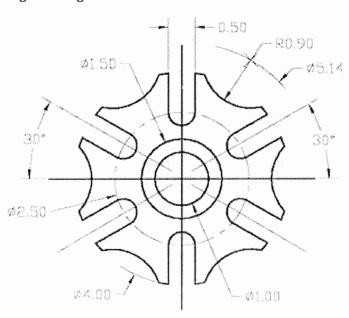
Q.1(A) Draw the below figure using Auto CAD commands and dimension it.

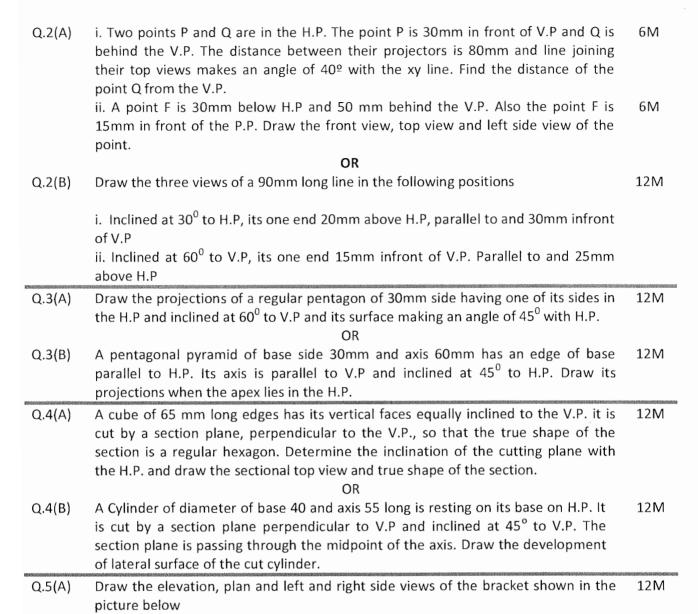
12M

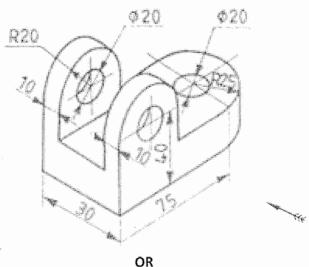


OR

Q.1(B) Draw the below figure using Auto CAD commands and dimension it.







Q.5(B) A vertical pipe of 64 mm diameter is welded to a pipe of diameter 32 mm. The axis of the second pipe is inclined at 60° to HP, parallel to VP. Draw the projections showing the curves of intersection.

### MADANAPALLE INSTITUTE OF TECHNOLOGY & SCIENCE, MADANAPALLE

(UGC-AUTONOMOUS)

## B.Tech I Year I Semester (R18) Regular End Semester Examinations –JAN 2020 ENGINEERING GRAPHICS

(Common to All)

Time: 3Hrs

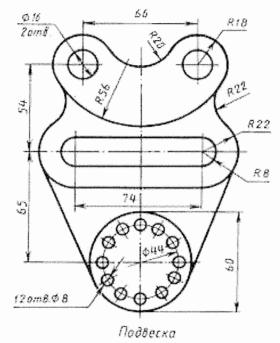
Max Marks: 60

Attempt all the questions. All parts of the question must be answered in one place only.

All parts of Q.no 1 are compulsory. In Q.no 1 to 5 answer either Part-A or B only

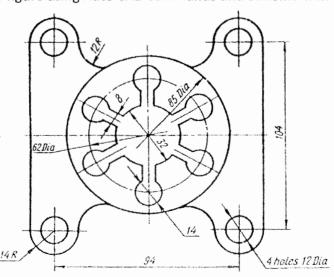
Q.1(A) Draw the below figure using Auto CAD commands and dimension it.

12M

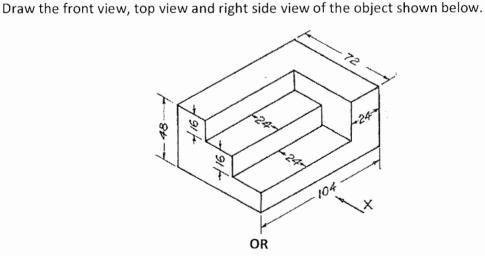


OR

Q.1(B) Draw the below figure using Auto CAD commands and dimension it.



Q.2(A)	Draw the projections for the following cases  a. Point A is situated at 40mm above HP and 50mm in front of VP  b. Point B is situated at 30mm above HP and 40mm behind VP  c. Point C is 40mm below HP and 50mm behind VP  d. Point D is situated 20mm below HP and 30mm in front of VP  Use the same XY line to show the projections for all the points. Keep the distance between the projectors as 30mm. Also state the quadrants in which they lie.	12M
Q.2(B)	OR A line AB 70mm long is inclined at $45^0$ to HP and its top view makes an angle of $60^0$ with the XY line. The end A of the line is 20mm above HP and 30mm in front of VP. Draw the projections of the line.	12M
Q.3(A)	A rectangular lamina with longer edge 175mm and smaller edge 100mm is resting on one of its smaller edges on the HP. It is inclined with the HP in such a way that its TV appears as a square with maximum dimensions. Draw projections if the smaller edge makes inclinations of $60^{\circ}$ with the VP.	12M
Q.3(B)	OR A Pentagonal Prism of base edge 30 mm and axis 60mm has a corner on the H.P with its axis inclined at 45 <sup>0</sup> to the H.P. Draw the projections when the plane containing the resting corner and the axis is parallel to V.P.	12M
Q.4(A)	A Hexagonal prism having 30mm base edge and 80mm height is standing on its base on the ground with its base edge parallel to VP. It is cut by a section plane inclined at 45° to HP and passing through a point 35mm above the base. Draw the development of lateral surface of the truncated prism.  OR	12M
Q.4(B)	A pentagonal prism of side of base 30 mm and axis 75 mm long is resting on its base on H.P. such that its one rectangular face is parallel to V.P. It is cut by a plane inclined at 30° to H.P and parallel to V.P. The section plane is bisecting the axis. Draw the development of the lateral surface of the remaining portion of the prism.	12M



12M

Q.5(A)

Q.5(B) A Vertical square prism base 50mm side is completely penetrated by a horizontal square prism, base 35mm side, so that their axes intersect. The axis of the horizontal prism is parallel to the V.P., while the faces of the two prisms are equally inclined to the V.P. Draw the projections of the solids, showing lines of intersection. (Assume suitable lengths for the prisms).

## MADANAPALLE INSTITUTE OF TECHNOLOGY & SCIENCE, MADANAPALLE (UGC-AUTONOMOUS)

## B.Tech I Year I Semester (R18) Regular End Semester Examinations –JAN 2020 ENGINEERING GRAPHICS

(Common to All)

Time: 3Hrs

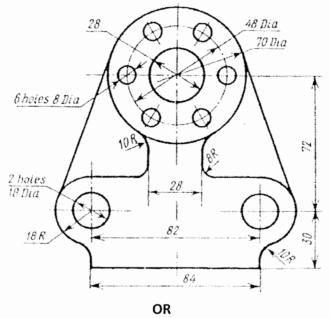
Max Marks: 60

Attempt all the questions. All parts of the question must be answered in one place only.

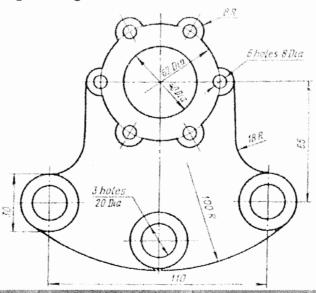
All parts of Q.no 1 are compulsory. In Q.no 1 to 5 answer either Part-A or B only

Q.1(A) Draw the below figure using Auto CAD commands and dimension it.

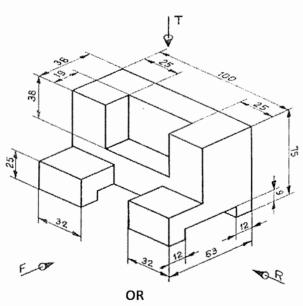
12M



Q.1(B) Draw the below figure using Auto CAD commands and dimension it.



Q.2(A)	i. A point H is 15mm below H.P, 10mm behind V.P and 10mm in front of P.P. Draw	6M
	front view, top view and left side view of the point.  ii. A point K is 10mm below H.P, 15mm behind V.P and 15mm in front of P.P. Draw front view, top view and left side view of the point.	6M
	OR	
Q.2(B)	A line AB 80mm long is inclined at an angle of $30^{\circ}$ to H.P and $45^{\circ}$ to V.P. The point A is 20mm above H.P and 30mm infront of V.P. Draw its Projections.	12M
Q.3(A)	i. A regular pentagon of 25 mm side has one side on the ground. Its plane is inclined $45^{\circ}$ to the H.P and perpendicular to the VP. Draw its projections.	6M
	ii. Draw the projections of a circle of 50 mm diameter having its plane vertical and inclined at $30^{0}$ to V.P. Its centre is 30 mm above HP and 20 mm in front of V.P. OR	6M
Q.3(B)	A Hexagonal Pyramid of base edge 30 mm and height 60mm has a triangular face on the ground and the axis is parallel to V.P. Draw its projections.	12M
Q.4(A)	A cylinder of base diameter 40 mm and height 80 mm rests on its base on HP. It is cut by section plane perpendicular to VP and inclined at 45° to HP and passing through the axis at a distance 40 mm from base. Draw the front view and sectional top view.	12M
	OR	
Q.4(B)	A Hexagonal prism of side of base 30 mm and axis 70 mm long is resting on its base on H.P. such that its one rectangular face is parallel to V.P. It is cut by a plane inclined at $45^{\circ}$ to H.P and parallel to V.P. The section plane is bisecting the axis. Draw the development of the lateral surface of the remaining portion of the prism.	12M
Q.5(A)	Draw the front view, top view and right side view of the object shown below.	12M



Q.5(B) A cylinder of base diameter 50 mm and axis 75 mm long is standing on its base on the HP. It is completely penetrated by a horizontal cylinder of 45 mm diameter and axis 80 mm long, such that their axes intersect at right angles and at 40 mm above the base. Draw the curves of intersection of the solids at their interfaces.

#### MADANAPALLE INSTITUTE OF TECHNOLOGY & SCIENCE, MADANAPALLE

(UGC-AUTONOMOUS)

B.Tech I Year I & II Semester (R18) Supplementary End Semester Examinations –JAN 2020 ENGINEERING GRAPHICS

(Common to All)

Time: 3Hrs

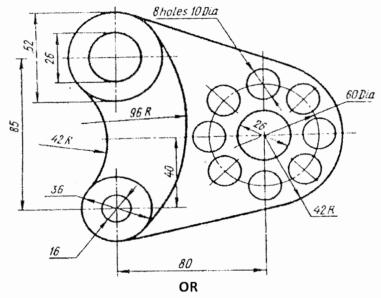
Max Marks: 60

All parts of the question must be answered in one place only.

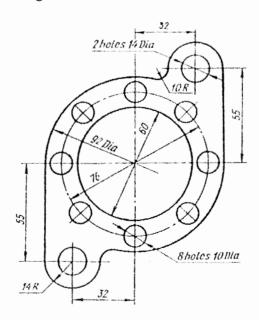
In Q.no 1 to 5 answer either Part-A or B only

Q.1(A) Draw the below figure using Auto CAD commands and dimension it.

12M



Q.1(B) Draw the below figure using Auto CAD commands and dimension it.



Q.2(A)Draw the projections of the following points on the same reference line by keeping the distance between the projectors as 30mm, Also name the quadrants in which they lie.

Point P, on V.P. and 40mm above the H.P.

Point Q, 35mm above the H.P. and 55mm behind the V.P.

Point R, 35mm below the H.P. and 50mm front the V.P.

Point S, 50mm below the H.P. and on V.P.

Q.5(A)

OR

Q.2(B) The Top view of a 75mm long line measures 65mm. While the length of its Front view is 50mm. It's one end A is in H.P and 12mm infront of V.P. Draw the projections of line AB and determine its inclinations with H.P and V.P

12M

12M

12M

Q.3(A)A square ABCD of 50mm side has its corner A in the H.P. its diagonal AC is inclined at 30° to the H.P and the diagonal BD inclined at 45° to the VP and parallel to H.P. Draw its projections.

OR

Q.3(B)A Pentagonal Prism of base edge 30 mm and axis 60mm rests on an edge of its 12M base in the H.P. Its axis is parallel to V.P and inclined at 45° to H.P. Draw its projections.

12M

A cylinder of base 50mm and axis 60mm is resting on ground with its axis parallel Q.4(A)to V.P. It is cut by a section plane perpendicular to V.P and inclined at 45° to H.P. passing through one of the top of the generator and cuts all other generators. Draw its development of its lateral surface.

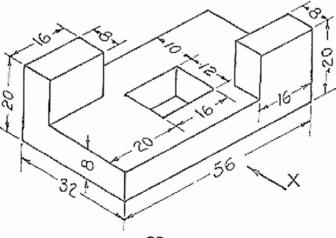
Q.4(B) A pentagonal prism of base side 30 mm and axis length 60mm is resting on H.P on its base with one of its base side parallel to VP. It is cut by a plane inclined at 30° to H.P and perpendicular to VP and is bisecting the axis. Draw its front view and sectional top view.

12M

Draw the front view, top view and the side view for the figure given below

12M

12M



Q.5(B)A cylinder of base diameter 50 mm and axis 75 mm long is standing on its base on the HP. It is completely penetrated by a horizontal cylinder of 45 mm diameter and axis 80 mm long, such that their axes intersect at right angles and at 40 mm above the base. Draw the curves of intersection of the solids at their interfaces.

## MADANAPALLE INSTITUTE OF TECHNOLOGY & SCIENCE, MADANAPALLE (UGC-AUTONOMOUS)

## B.Tech I Year I Semester (R18) Regular End Semester Examinations –JAN 2020 ENGINEERING GRAPHICS

(Common to All)

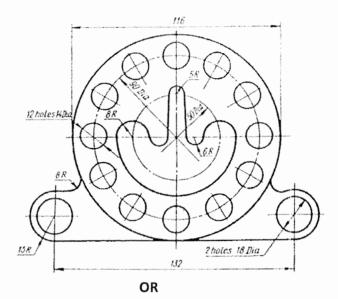
Time: 3Hrs Max Marks: 60

Attempt all the questions. All parts of the question must be answered in one place only.

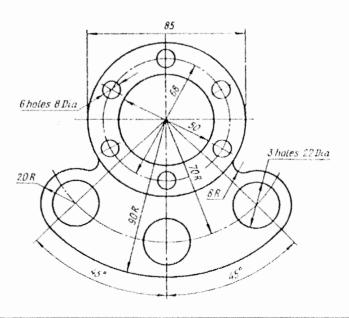
All parts of Q.no 1 are compulsory. In Q.no 1 to 5 answer either Part-A or B only

Q.1(A) Draw the below figure using Auto CAD commands and dimension it.

12M



Q.1(B) Draw the below figure using Auto CAD commands and dimension it.



Q.2(A)	20 behind V.P. The line joining their top views makes an angle of 45° with xy. Find the horizontal distance between two points.	81/1
	ii. Draw the projections of the following points on the same ground line xy; keeping	4M
	the distance between the projectors as 50mm.	
	A. Point A, in the V.P. and 15mm above the H.P.	
	B. Point B, 15mm below the H.P. and 10mm behind the V.P.	
	OR	
Q.2(B)	A line CD, 90mm long, measures 72mm in front view and 65mm in top view. Draw	12M
	the two views of the line if it fully lies in the first quadrant. Find the true inclinations	
	of the line. Point C lies at a distance 20mm from the reference planes.	
Q.3(A)	A rectangular plate of negligible thickness having 150mm length and 100mm width is	12M
	resting on one of its smaller side on HP. The surface makes an inclination of $30^{\circ}$ to	
	HP and smaller side makes an inclination of 60° to VP. Draw the projection of the	
	plate.  OR	
Q.3(B)	A Cylinder of base diameter 50mm and axis 80mm is resting on HP with its	12M
Q.3(D)	generator. The axis of the cylinder is inclined at 45° to H.P. Draw its projections.	12101
Q.4(A)	A cylinder of base diameter 40 mm and height 80 mm rests on its base on HP. It is	12M
Q.4(A)	cut by section plane perpendicular to VP and inclined at 35° to HP and passing	12101
	through the axis at a distance 40 mm from Top face. Draw the front view and the	
	sectional top view.	
	OR	
Q.4(B)	A hexagonal prism of side of base 30 mm and axis 70 mm long is resting on its base	12M
•	on H.P. such that the base edge is parallel to V.P. It is cut by a cutting plane inclined	
	at 30° to H.P and perpendicular to V.P. The cutting plane is bisecting the axis of the	
	hexagonal prism. Draw the development of the lateral surface of the cut prism.	
Q.5(A)	A Vertical square prism base 50mm side, is completely penetrated by a horizontal	12M
	square prism, base 35mm side, so that their axes intersect. The axis of the horizontal	
	prism is parallel to the V.P., while the faces of the two prisms are equally inclined to	
	the V.P. Draw the projections of the solids, showing lines of intersection. (Assume	
	suitable lengths for the prisms).	
0.5(0)	OR	1204
Q.5(B)	Draw the front view, top view and side view of the above figure.	12M

